On The First Fundamental Theorem for Special Dual Orthogonal Group $S O(2, D)$ And its Application to Dual Bezier Curves

M.Incesu ${ }^{1}$, O. Gursoy ${ }^{2}$<br>${ }^{1}$ Department of Mathematics Education, Mus Alparslan University, Mus, Turkey ${ }^{2}$ Department of Mathematics,Maltepe University, Istanbul, Turkey


#### Abstract

Let D be set of dual numbers. In this work we study the first fundamental theorem for special dual orthogonal transformations group $S O(n, D)$ in case of $n=2$. Then our getting results compared the special orthogonal transformations group $S O(4, R)$ in $R^{4}$ because $D^{2}$ is isomorph to $R^{4}$ So we showed that the minimal conditions of the dual vectors are more less than minimal conditions of real vectors.


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